

INTERSECCIÓN DIRECTA SIMPLE

SOLUCIÓN:

Para calcular las coordenadas de V procedemos de la siguiente manera:

DATOS :

$L_C^T = 132,1543$	$X_C = 10000,00$
$L_C^V = 198,4523$	$Y_C = 20000,00$
$L_T^C = 15,2745$	$X_T = 15500,00$
$L_T^V = 395,4527$	$Y_T = 25000,00$

CÁLCULOS :

	$D_C^T = 7433,03$	
$\theta_C^T = 53,0292$	$\Sigma_C = 320,8749$	$\theta_C^V = 119,3272$
$\theta_T^C = 253,0292$	$\Sigma_T = 237,7547$	$\theta_T^V = 233,2074$
$C^{\wedge} = 66,2980$	$T^{\wedge} = 19,8218$	$V^{\wedge} = 113,8802$

$$D / \text{sen}V^{\wedge} = D_C^V / \text{sen}T^{\wedge} = D_T^V / \text{sen}C^{\wedge}$$

$$\begin{aligned} D_C^V &= 2332,35 \\ D_T^V &= 6571,13 \end{aligned}$$

$$\begin{aligned} \Delta X_C^V &= 2.225,69 & \Delta X_T^V &= -3.274,31 \\ \Delta Y_C^V &= -697,25 & \Delta Y_T^V &= -5.697,25 \end{aligned}$$

$$\begin{aligned} X_V &= 12.225,69 & X_V &= 12.225,69 \\ Y_V &= 19.302,75 & Y_V &= 19.302,75 \end{aligned}$$

Incertidumbre en la determinación del punto V:

$$a = \frac{e_a L_{media}}{\text{sen} \frac{\alpha}{2}} = \frac{25^{cc} \cdot \frac{2.332,35 + 6.571,13}{2}}{636620^{cc} \cdot \frac{2}{\text{sen} \frac{200 - 113,8802}{2}}} = 0,28 \text{ m}$$