

Introduction to antenna measurement systems



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Outline



1. Introduction,
2. Far-field ranges,
3. Anechoic chambers,
4. Near-field systems: Spherical, planar & cylindrical,
5. Compact ranges,
6. Polarization measurements,
7. Measurement instrumentation,
8. Power and dynamic range,
9. Gain standards and Gain measurements,
10. Other measurement systems,
11. Visit to the UPM antenna test facilities.



Introduction



Introduction

- *Definition of an antenna by the Webster's Dictionary:*
 - a usually metallic device for radiating or receiving radio waves.
- *Definition of an antenna by IEEE Standard Definitions of Terms for Antenna:*
 - a mean for radiating or receiving radio waves
 - i.e. antenna is the transitional structure between free-space and a guiding device.
- *Aims of Antenna Measurements:*
 - Evaluation of designed antennas,
 - Empirical validation for antenna analysis methods.
- *Antenna Parameters to be measured:*
 - Radiation pattern parameters: directivity, cross-polar radiation...
 - Gain and antenna efficiency,
 - Impedance and port isolations.
- *Antenna measurement systems according to field regions:*
 - Outdoor far field ranges,
 - Anechoic chambers: planar, cylindrical, spherical near-field systems, compact ranges

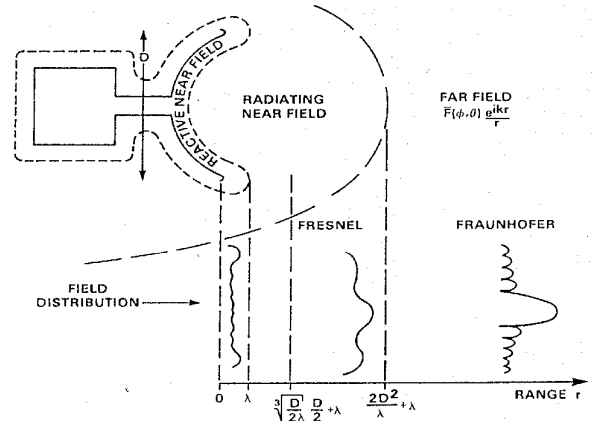


Field Regions



Space surrounding an antenna is subdivided in:

- **Reactive near field region:** that portion of the near field region immediately surrounding the antenna, where the reactive field predominates.
- **Radiating near field region:** (Includes Fresnel zone): intermediate region, where the radiation fields predominate, but the angular field distribution depends upon the distance from the antenna.
- **Far Field (Fraunhofer) region:** the region of the field of an antenna where the angular field distribution is independent of the distance from the antenna.



Far field distance satisfies:

$$r \geq \frac{2D^2}{\lambda} \quad \text{y} \quad r \gg \lambda$$

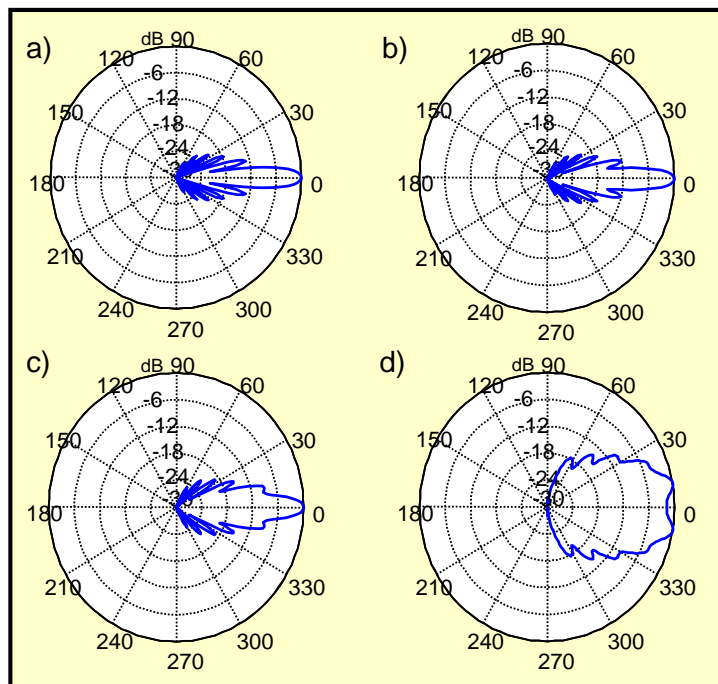
D: Maximum dimension of the antenna



Example: radiated field of an antenna



- Simulated Vertical radiation pattern for a 9 resonant dipoles (h=210 cm) at 900 MHz.
- Far field distance = 26.7 m:
- distance d:
 - a) d = 27 m
 - b) d = 13.5 m
 - c) d = 6.75 m
 - d) d = 2.7 m



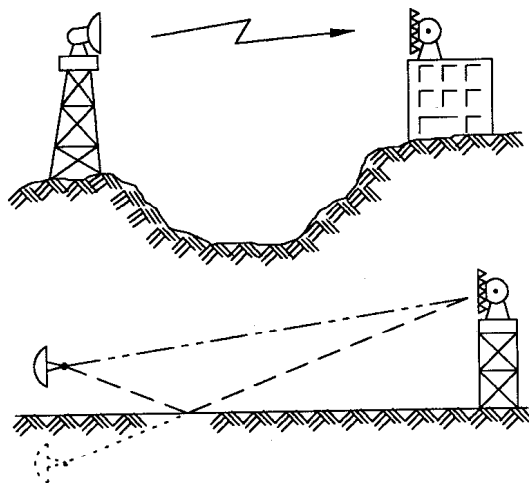


Antennas and far-field distances

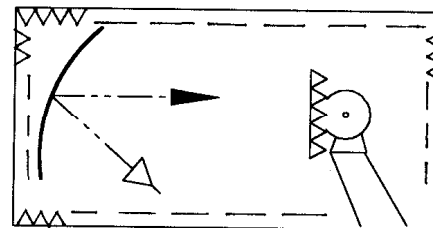
- For **monopoles and dipoles** (length $\leq \lambda$), $R_{\text{far field}} \geq 10\lambda$ is used, because **reactive field is negligible**.
- For **large reflectors** in microwave band with circular aperture with $D \gg \lambda$, $R_{\text{far field}} \geq 2D^2/\lambda$ is used, because of the **phase errors at the aperture**.
- For **base station antennas** (arrays with height $h \gg \lambda$), $R_{\text{far field}} \geq 2h^2/\lambda$ is used, because of the **phase errors at the aperture**.



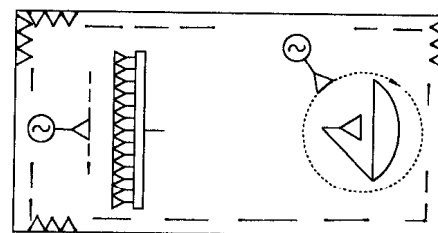
Antenna Measurement Systems



*Far-Field Systems:
Elevated & Ground Reflection Ranges*



Compact Systems



*Near-Field Systems:
Planar, Cylindrical & Spherical*

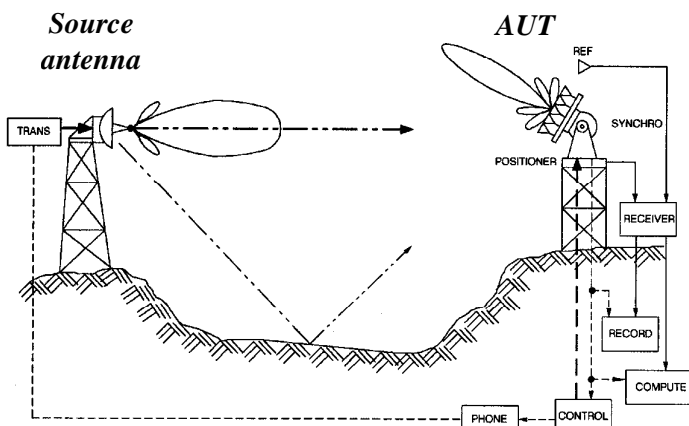


Far-field ranges



Far field ranges

- Antenna under test (AUT), usually in reception, is illuminated by a source (probe antenna).
 - This antenna must be in **far field distance**.
 - In this case, the incident wave is a **plane wave**.



- The AUT can be measured in transmission or in reception.

- Radiation patterns and parameters are the same, according to the reciprocity theorem.

Far field design: criteria

→ These criteria determine the source antenna specifications and the minimum distance R between antennas.

1- Inductive coupling between antennas.

– Important for low frequencies.

$$\boxed{\text{Ratio for a short dipole}} \implies R \geq 10\lambda \implies \frac{E_{1/r^2}}{E_{1/r}} \leq -36\text{dB}$$

2- Spatial periodic variations in the illuminating wave front caused by reflections.

– Important for unmatched antennas or metallic supports with bad absorbers.

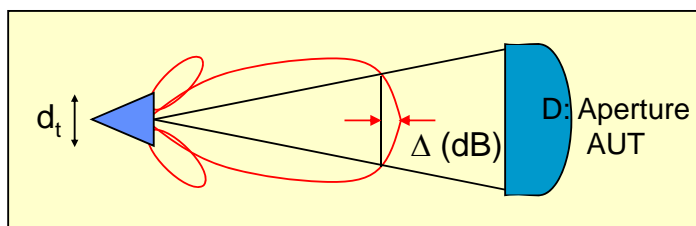
3- Longitudinal variation of the amplitude in the antenna.

– $R \geq 10 L$ (L, length of the antenna) \Leftrightarrow Variation ≤ 1 dB

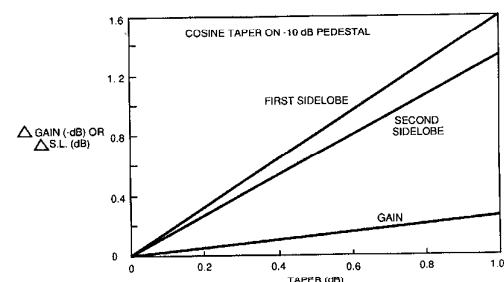
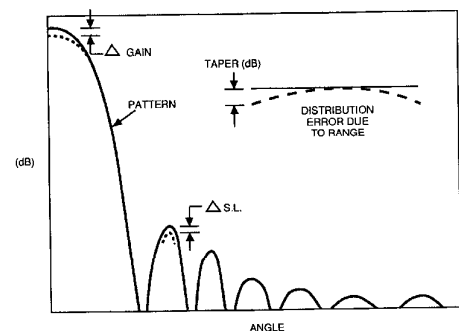
Far field design: criteria

4- Amplitude taper of the illuminating wave front.

- Reduction in measured gain and SLL.
- For a typical parabolic reflector (cosine taper on -10 dB pedestal)
 - » $\Delta = -0.5$ dB $\Rightarrow \Delta G = -0.15$ dB.



- **CRITERIA:** $\Delta \approx -0.25$ dB $\Rightarrow d_t$



Far field design: criteria

5- Phase error/curvature of the illuminating wave front.

- Reduces the gain.
- Increases the side lobe and fills the nulls.

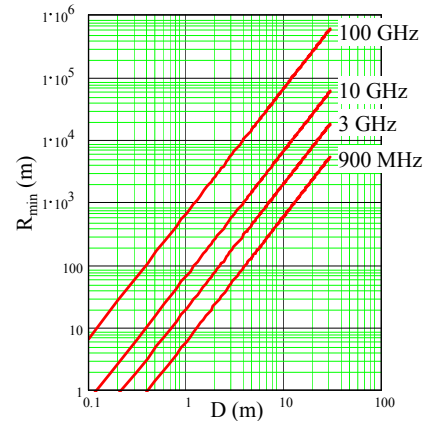
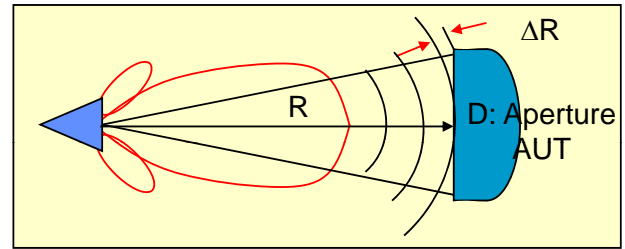
$$\Delta R \approx \frac{D^2}{8R} \quad \Delta \Phi = \frac{2\pi}{\lambda} \Delta R \approx \frac{\pi D^2}{4\lambda R}$$

- MINIMUM DISTANCE CRITERIA: phase error = 22.5°

$$\Delta \Phi \leq \frac{\pi}{8}$$

$$R \geq \frac{2D^2}{\lambda}$$

➔ Far field distance



Anechoic chambers



Anechoic chambers

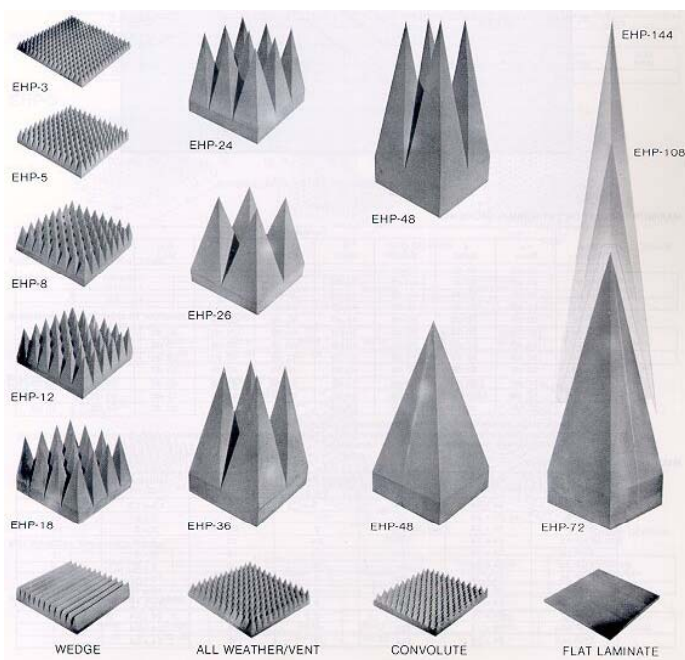
- Close areas (normally shielded) covered by electromagnetic absorbing material, that simulate free space propagation conditions, due to the absorption of the radiation absorbing material (RAM).

- **Advantages:**

- All weather operation.
- Control of the environment (temperature, cleanness ...)
- Security.
- Freedom from interference.

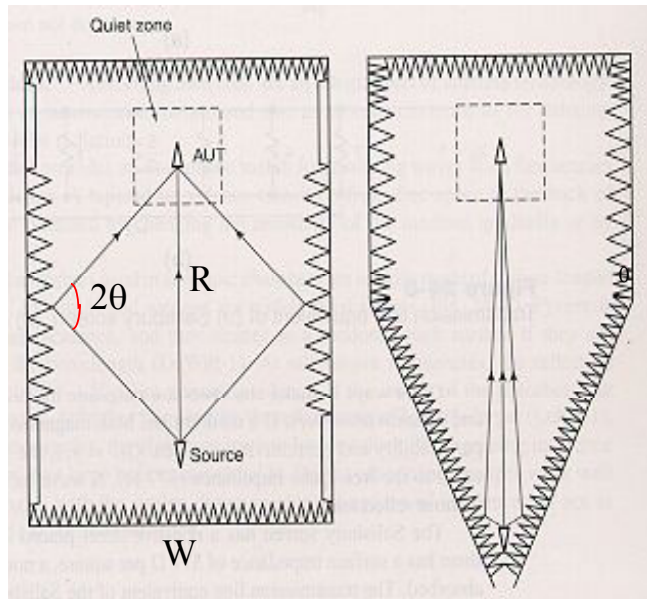


Anechoic chambers: Microwave Absorbing materials



- **Pyramidal absorbers** ($H > 5\lambda$):
 $\rho < -50$ dB.
- **Convolute absorbers:**
 $\rho < -50$ dB in mm-wavelengths.
- **Flat laminate absorbers:**
 $\rho < -25$ dB (towers...).
- **Walkway absorbers:** (pyramidal + foam + polystyrene laminate) .
- **Wedge absorbers:** for compact ranges.
- **All weather or vent absorbers.**

Anechoic chambers: Examples



a) Rectangular Test chamber:

$$\theta_{\max} < 70^\circ \implies W/R > 1/2.75$$

Source antenna main lobe can't illuminate the side walls, floor or ceiling.

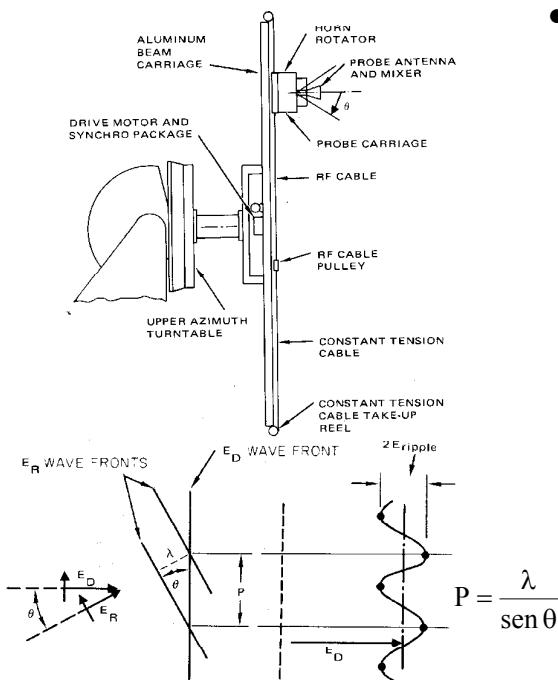
b) Tapered Test Chamber:

Interference signals eliminate the ripple in quiet zone. Used in VHF and UHF.

The source is adjusted at each frequency.

c) **Semi-open chamber:** AUT is protected by a building (without one wall). The antenna source is far away.

Anechoic chambers: Range evaluation of a planar scanner



- Using a linear slide and an azimuth turntable (or a XY scanner), it is possible:

- To test if the maximum of the antenna source is directed to the centre of the quiet zone (measurement aperture).

- To evaluate the reflections.

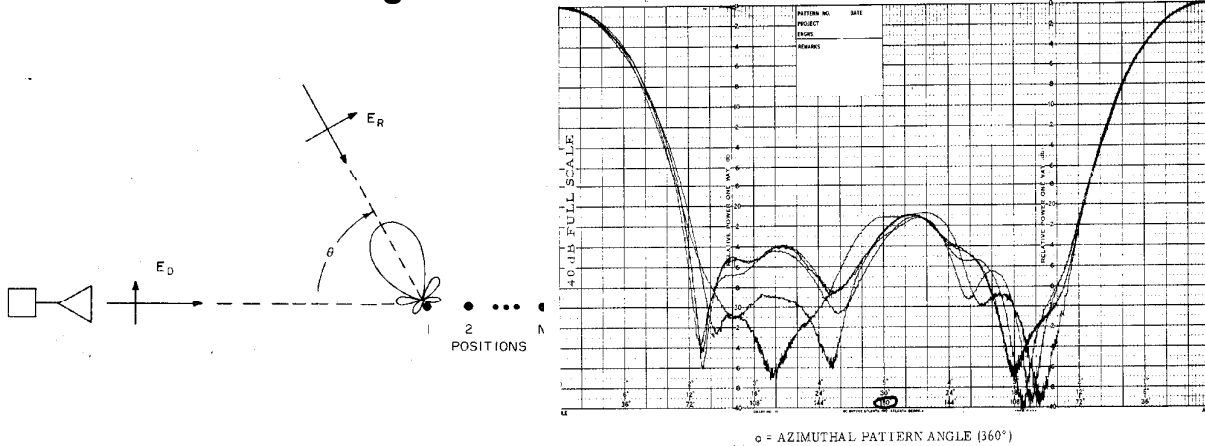
$$\frac{E_R}{E_D} (\text{dB}) = 20 \log \left(\frac{-1 + 10^{\sigma/20}}{1 + 10^{\sigma/20}} \right)$$

σ = peak to peak ripple (dB)



Anechoic chambers: Range evaluation with a pattern comparison method

- The same antenna is measured at different distances. In this way, the direct and reflect signals add with different relative phases in AUT.
- The maximum to minimum ratio and the average allow to obtain the reflected signal level



Near-field systems: Spherical, planar, cylindrical

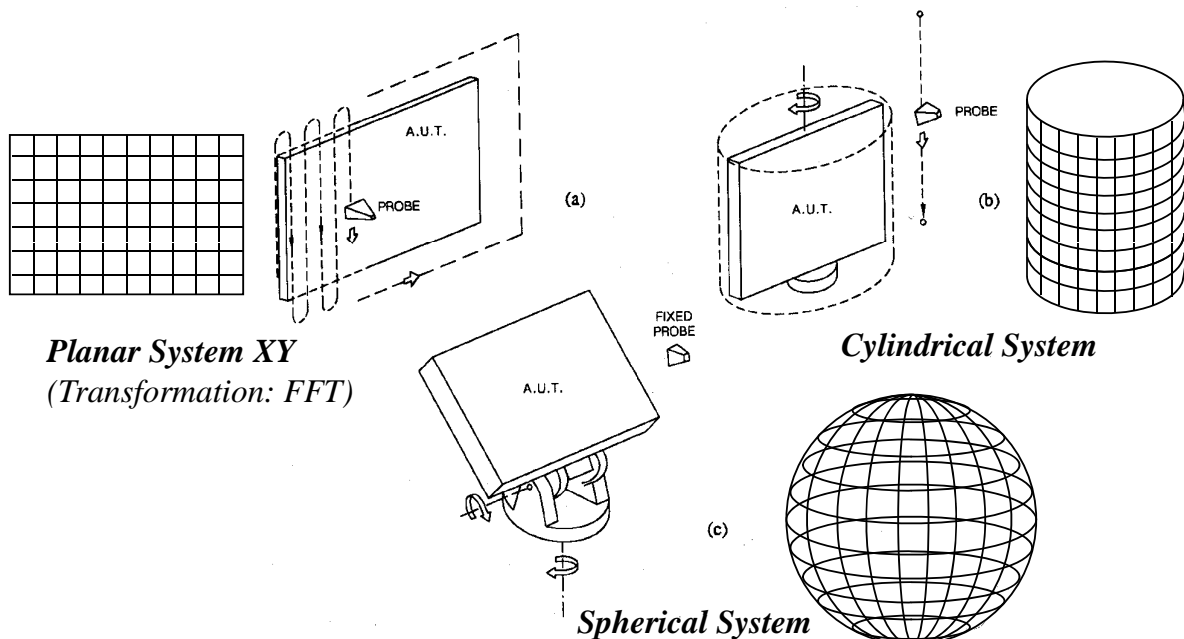


Near field systems

- The radiated field is **measured in a surface** (plane, cylinder or sphere) **near to the AUT**, and the far field is obtained using a **transformation** algorithm.
- **Advantages:**
 - Less use of space,
 - Indoor systems advantages (independent of weather conditions...),
 - The far field is obtained without the error due to the finite distance.
- **Drawbacks:**
 - More complex and precise exploring systems are required,
 - Transformation software based on modal analysis (with plane, cylindrical or spherical waves),
 - A probe calibration is necessary.



Types of near-field scanning





Spherical near-field system

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- Any **solution** can be expressed as a **sum of the spherical vector waves**
→ we refer to this sum as the **spherical wave expansion (SWE)**.
- The **SWE for the AUT** (in the AUT coordinate system) can be transformed to the **probe coordinate system** using 3 rotation coefficients and 1 translation coefficient.
- Using the **probe receiving coefficients**, the **signal received by the probe** can be obtained.
- The **knowledge of the probe receiving coefficients** is obtained from a separate **probe calibration**.
- In spherical near-field measurements, a **precise optical alignment is important**:
 - The **roll over azimuth axes must intersect** to assure acquisition over a **sphere**.
 - The **probe axis must point to the cutting point of the roll and azimuth axes**.
 - The **acquisition points** must satisfy the **sampling theorem**:

$$N_{\max} = \left\lceil \frac{2\pi}{\lambda} \cdot R_0 \right\rceil + \text{Margin, (normally Margin} = 10) \text{ and } \Delta\theta = \Delta\phi = \frac{180}{N_{\max}}$$



Example of an spherical near-field system

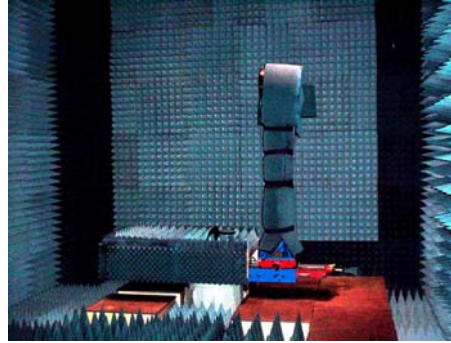
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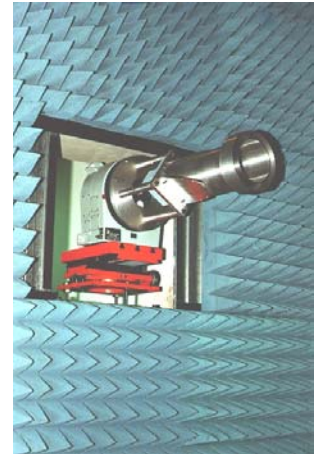


Spherical System:

- Dimensions: 7.3 x 4.3 x 4.3 m
- Frequency band: 1.5 – 20 GHz
- **ORBIT Controller and positioners**
- **Agilent HP8530A VNA**
- Approved for **Space Measurements (ESA)** at 5.3 GHz using ERS panel



AUT Positioner. Roll over Azimuth
on longitudinal table



Polarization Positioner



Planar near-field system: theoretical analysis



- In the planar near-field system, the **coupling equation** relates the **measured values** with the **probe correction coefficients** and the **AUT transmission coefficients**.
- Since they are related by a **Fourier Transform**, it can be solved applying an Inverse Fourier Transform.

$$D(k_x, k_y) = \sum_{s=M,N} S_s(k_x, -k_y) T_s(k_x, k_y) = \frac{(1 - \Gamma_s \Gamma_1) \exp(-j\gamma z_0)}{(2\pi)^4 a_0} \frac{kZ}{\gamma} \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} b'_0(\vec{r}_0) \exp(-j\{k_x x + k_y y\}) dx dy$$

Measured Values

Probe Correction

AUT Transmission
Properties



Planar near-field system: practical aspects

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- **Angular validity of the measurement:**
 - Sampling acquisitions has to be limited to a **finite rectangle** in the measurement plane.
 - This truncation **limits the validity** of measurement result in far field to **angles lower to θ_v** .

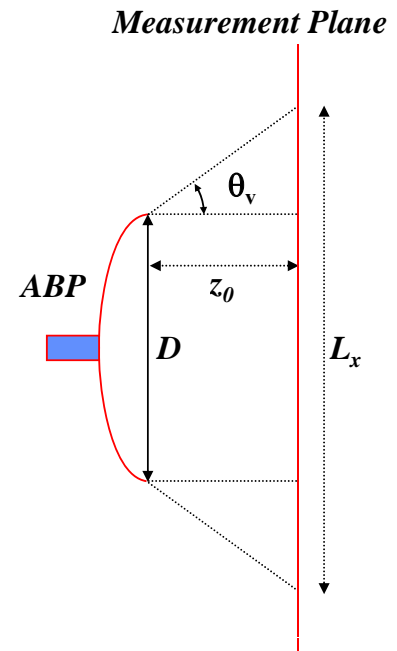
$$\theta_v = \text{atan}\left(\frac{L_x - D}{2z_0}\right)$$

- If $E(L_x/2) < -40$ dB, the **truncation error** is negligible.

- **Maximum sampling rate** → Sampling Theorem

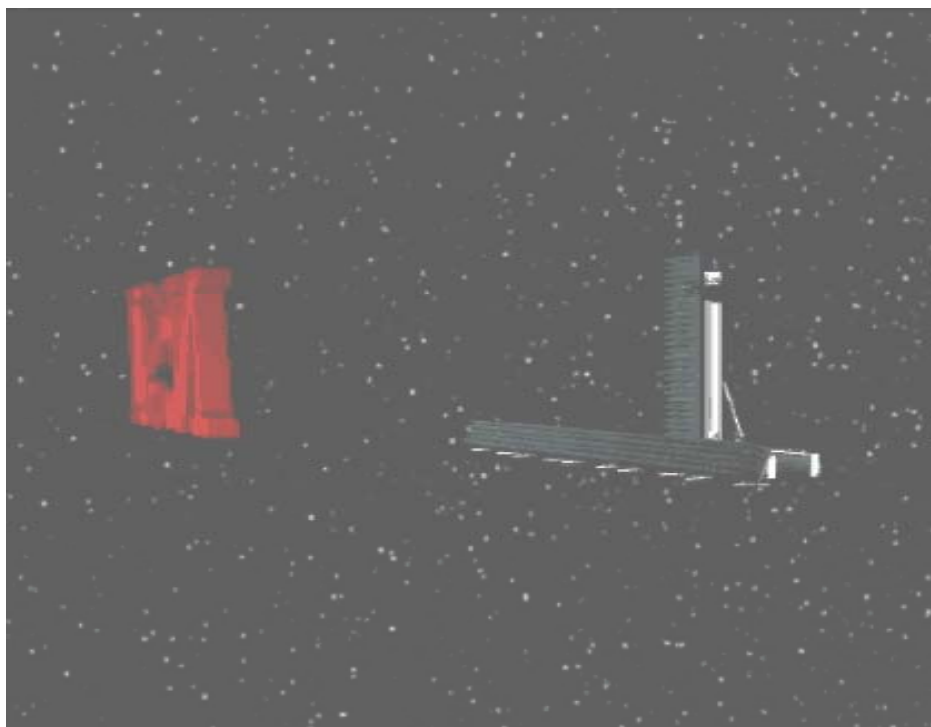
$$\Delta_x \leq \frac{2\pi}{2k} = \frac{\lambda}{2} \quad (\text{In some conditions, it can be higher})$$

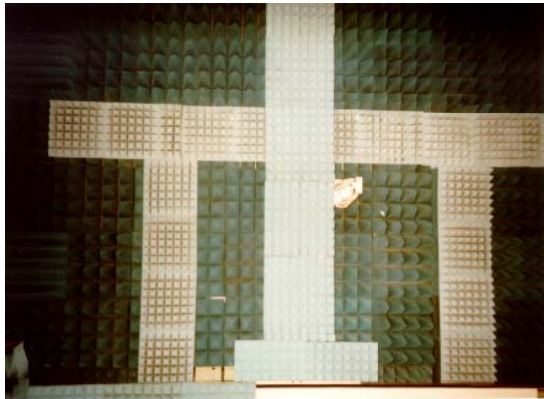
$$\Delta_y \leq \frac{\lambda}{2}$$



Planar near-field system

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Planar System:

Dimensions: 6 meters lower horizontal guide
1 meter supporting cart
5.5 meters tower
upper horizontal guide at 2 meters

- 3 high precision linear elements assure the **scanner high precision**.
- The lower horizontal guide is a **linear ball spline**, that allows a free rotation of the vertical tower.
- The tower leans on the upper horizontal guide.
- Scan area: **4.75 x 4.75 meters**
- Frequency band: **0.8 – 40 GHz**
- Horizontal axis velocity: **10 cm/sec**
- Vertical axis velocity: **33 cm/sec**
- **z errors < 0,34mm** peak to peak in the scan area



- In the cylindrical near-field system, the **coupling equation** relates the measured values with the **probe correction coefficients** and the **AUT transmission coefficients**.
- With **2 set of measured values** for each polarization & the probe **correction coefficients**, the **AUT transmission coefficients** could be derived.
- Then, with these **AUT transmission coefficients**, the **θ -components & ϕ -components** of the far-field can be obtained.

→ Far-field:

$$E_{\phi}(\theta, \phi) = \sin \theta \sum_{n=-\infty}^{\infty} j^n a_n(k \cos \theta) \cdot e^{jn \phi}$$

$$E_{\theta}(\theta, \phi) = j \sin \theta \sum_{n=-\infty}^{\infty} j^n b_n(k \cos \theta) \cdot e^{jn \phi}$$



Cylindrical near-field system: practical aspects

SSR

➤ Angular validity of the measurement:

- Sampling acquisitions has to be limited to a **finite rectangle** in the measurement plane.
- This truncation **limits the validity** of measurement result in far field to **angles lower to θ_v** .

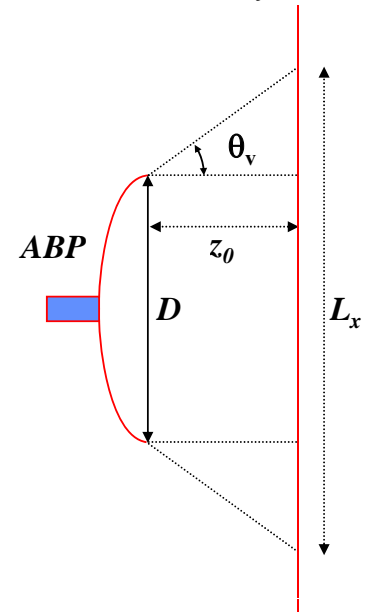
$$\theta_v = \text{atan}\left(\frac{L_x - D}{2z_0}\right)$$

- If $E(L_x/2) < -40$ dB, the truncation error is negligible.

➤ Maximum sampling rate → Sampling Theorem

- Vertical direction: the same than planar system,
- Horizontal direction: the same than the spherical system.

Measurement Cylinder



Cylindrical near-field system

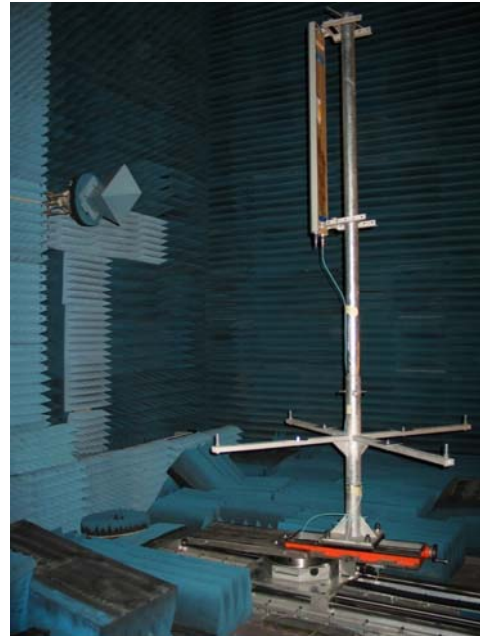
SSR





Cylindrical and Spherical System:

- Sharing elements with the planar system.
- Cylindrical: AUT on Azimuth positioner and probe on scanner y-axis.
- Spherical system: AUT on Roll over Azimuth
- Frequency band: 1 – 40 GHz
- Linear slide to adjust measurement distance.



CYLINDRICAL SYSTEM



Compact ranges



Compact ranges

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- The idea is to form a **planar wave** around the AUT using **reflector** systems.
- They are used for **measuring antennas in far field** and for measuring object **RCS**.
- **Don't need field transformation**, the measurements are obtained in **far-field**.
- LIMITATIONS:
 - **Complex & big structures** needed, so the chamber **dimensions** must be **higher**.
 - Their **precisions** are, in general, **lower** than in near field systems.
 - Mainly related with the **flatness of the field in the quiet zone**:
 - Desired amplitude constant to a fraction of a dB,
 - Desired phase flat to few degrees.
 - **At higher frequencies**, limited by the **tolerances of the reflectors surfaces**.
 - **At lower frequencies**, limited by the **electrical size of the absorber pyramids**.

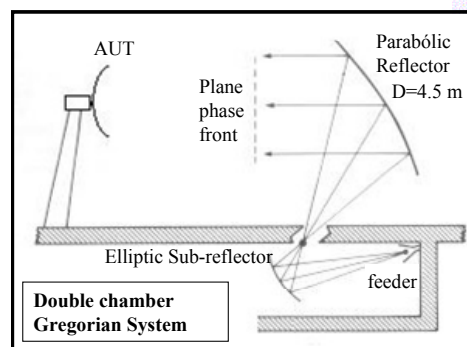


UPM antenna measurement ranges

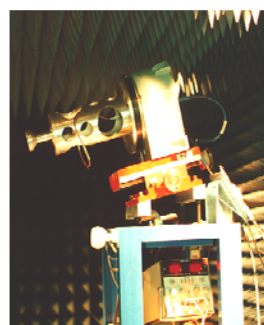
SSR

Compact Range System:

Gregorian System

Measurements of **Antennas and RCS**Dimensions:Main chamber: 15.2 x 7.9 x 7.3 mSubreflector chamber: 6 x 3 x 2.4 mFrequency band: 6 – 60 GHzRotary joints at 40 GHzQuiet zone at X band: 2.5 m.diameter
(± 0.25 dB, $\pm 3^\circ$)

Main Reflector



Feeder



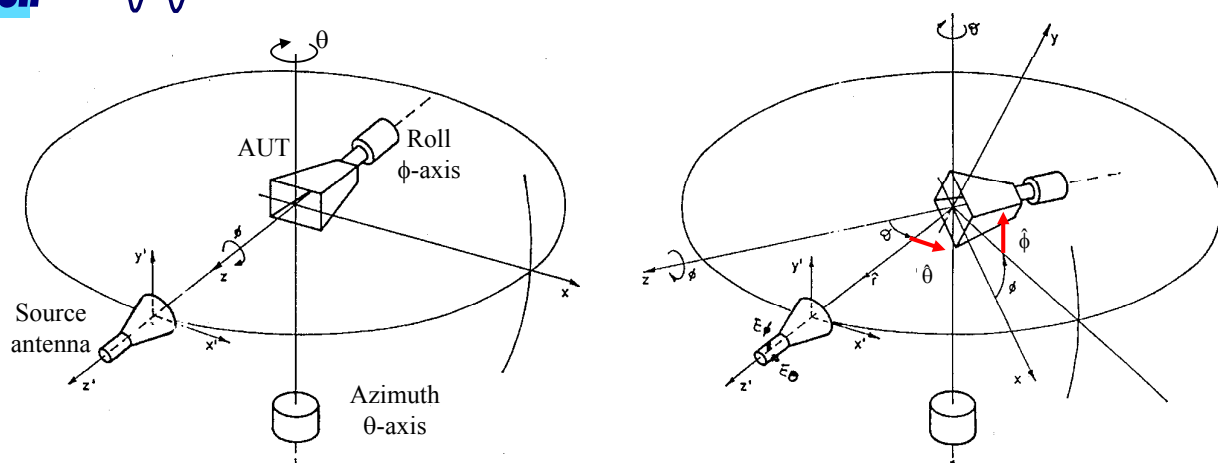
Subreflector



- Polarization measurements,
- Measurement instrumentation,
- Power and dynamic range.



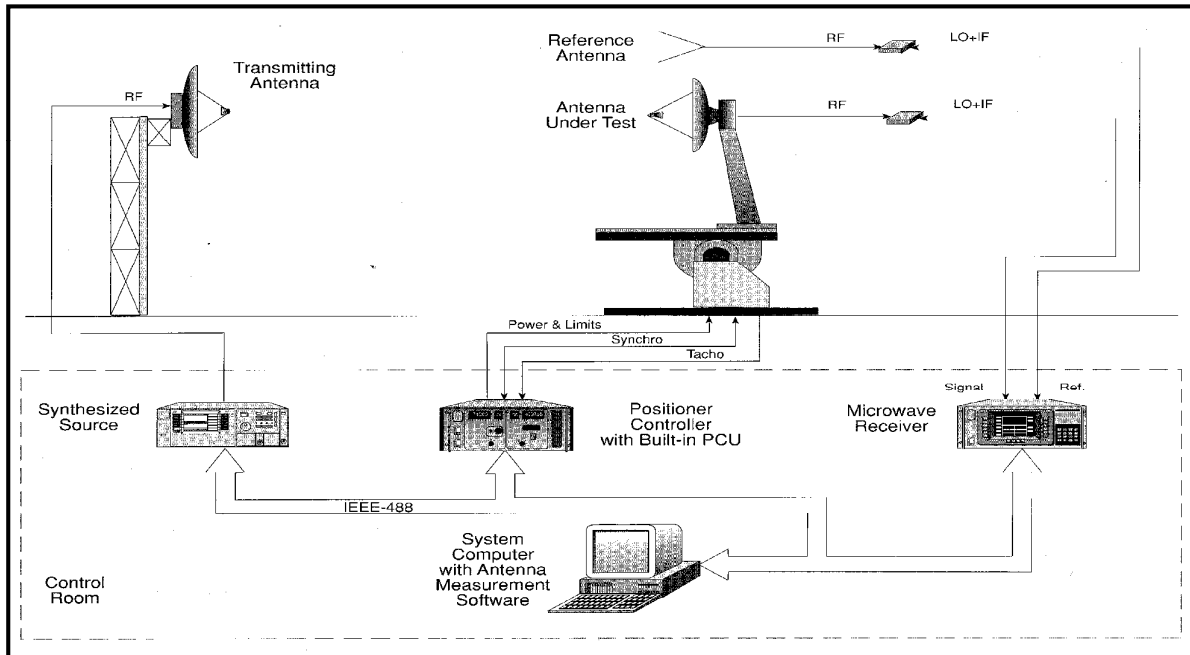
Polarization measurements



- With a double polarization probe, it is possible to obtain E_θ y E_ϕ simultaneously, but an accurate calibration of both channels is required.
- With a single polarization probe, each component is acquired in one scan with a 90° rotation of source antenna.
- Components CP-XP, CPC-XPC are obtained with field expressions.



Measurement instrumentation



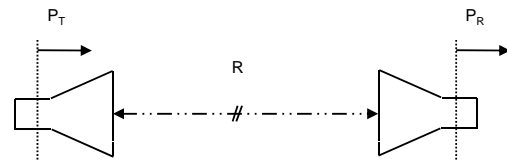
Power and dynamic range



$$P_{Rmax} \text{ (dBm)} = P_T \text{ (dBm)} + 20 \log \left(\frac{\lambda}{4\pi \cdot R} \right) + G_T \text{ (dBi)} + G_R \text{ (dBi)} \leq P_{Sat}$$

$$P_{Rmin} \text{ (dBm)} = S_{Rx} \text{ (dBm)} + (S/N) \text{ (dB)}$$

$$DR \text{ (dB)} = P_{Rmax} \text{ (dBm)} - P_{Rmin} \text{ (dBm)}$$



P_{sat} = Saturation of the transmitter

S_{Rx} = Sensitivity of the receiver

S/N = Required signal to noise (measurement errors)

DR = dynamic range of the measurement (SLL or XP requirements)

S/N	Amp. error	Phase error
20 dB	±0.9 dB	±5.7°
30 dB	±0.28 dB	±1.8°
40 dB	±0.09 dB	±0.57°

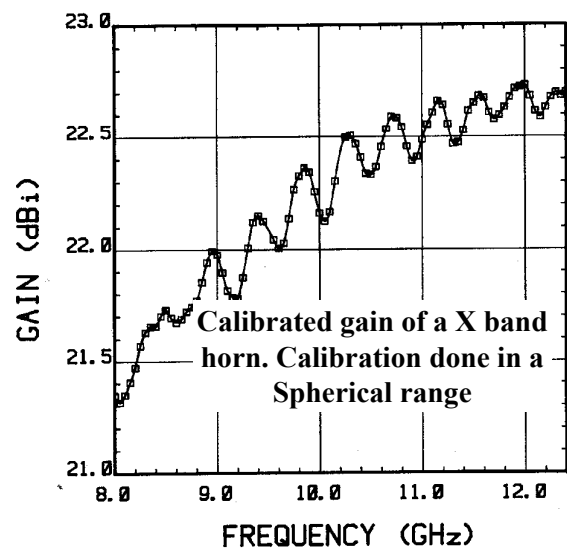


Gain measurements



Gain standards

- In microwave bands, rectangular horns are used as gain standards.
- The gain is almost equal to the directivity given by the manufacturer.
 - The error of this value uses to be in 0.3 dB
- If a better precision is required, it is necessary to calibrate the gain standard, using:
 - Absolute gain measurement.
 - Integrating the radiation pattern to obtain the directivity





Gain measurements

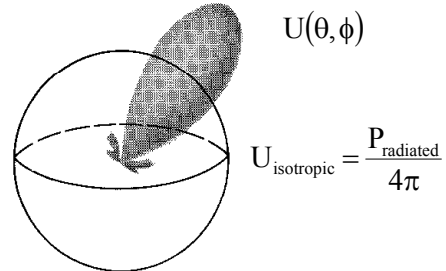
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- **IEEE Standard Definitions of Terms for Antennas:**

→ **GAIN in a given direction:**

“The ratio of the radiation intensity, in a given direction, to the radiation intensity that would be obtained if the power accepted by the antenna were radiated isotropically”.

$$G = \frac{r^2 \Re \left\{ \frac{1}{2} \cdot \mathbf{E} \cdot \mathbf{H}^* \right\}}{P_{\text{accepted}} / 4\pi}$$



→ **REALIZED GAIN:**

“The gain of an antenna reduced by the losses due to the mismatch of the antenna input impedance to a specified impedance”.

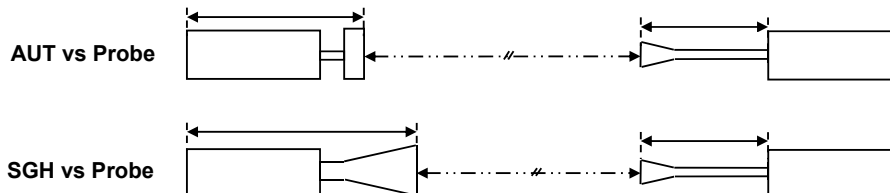
$$G_R = G \cdot (1 - |\Gamma_{in}|^2)$$



Gain measurements

SSR

- The most classical method is **gain substitution technique**, illuminating the **AUT** and a **gain standard** (usually, a Standard Gain Horn, **SGH**) with the same source antenna, for example a **probe**.



- **Far-field substitution technique:**

$$(G_{\text{aut}})_{\text{dB}} = 20 \log \left(\frac{d_{\text{aut-prb}}}{d_{\text{sgh-prb}}} \right) + (G_{\text{sgh}})_{\text{dB}} + 10 \log \left(\frac{P_{R_{\text{aut-prb}}}}{P_{R_{\text{sgh-prb}}}} \right) + 10 \log \left| \frac{(1 - |\Gamma_{\text{sgh}}|^2)}{(1 - |\Gamma_{\text{aut}}|^2)} \right|$$



Gain measurements

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- Correction for impedance mismatch:

$$\Delta_Z = -10 \log \left| \frac{(1 - |\Gamma_{\text{aut}}|^2)(1 - |\Gamma_{\text{rx}}|^2)}{|1 - \Gamma_{\text{aut}} \Gamma_{\text{rx}}|^2} \right| + 10 \log \left| \frac{(1 - |\Gamma_{\text{sgh}}|^2)(1 - |\Gamma_{\text{rx}}|^2)}{|1 - \Gamma_{\text{sgh}} \Gamma_{\text{rx}}|^2} \right|$$

- To improve the impedance matching, an attenuator after the AUT is used. In this case: $\Gamma_{\text{rx}} \approx 0$.

$$\Rightarrow \Delta_Z = 10 \log \left| \frac{(1 - |\Gamma_{\text{sgh}}|^2)}{(1 - |\Gamma_{\text{aut}}|^2)} \right|$$



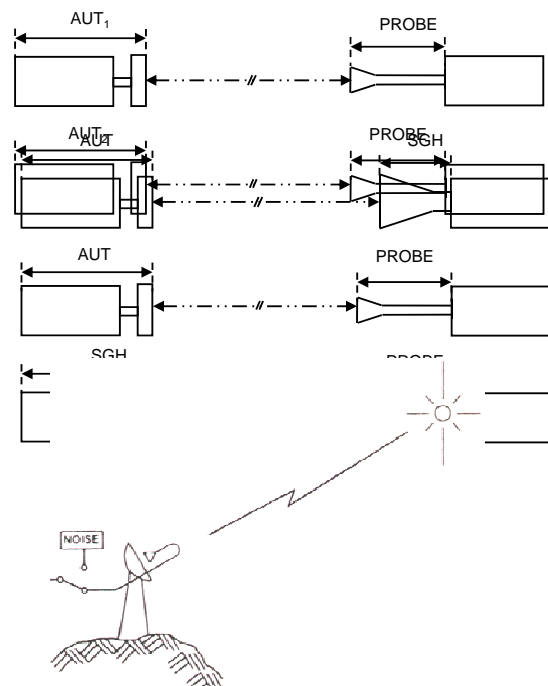
Absolute gain measurements

SSR

3 main types \rightarrow **A) Two antenna method:** based on using identical antennas and the Friis transmission formula.

\rightarrow **B) Three antenna method:** eliminates the need for identical antennas by making three measurements and solving the three equations.

C) Radio source is suited to very large, high gain antennas that cannot be measured any other way. The gain can be calculated either by comparing the level to a known noise source or by computation from the known noise figure and bandwidth of the receiver.



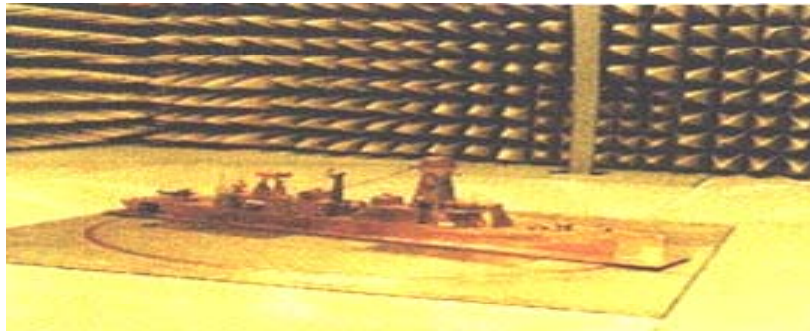


Others measurement systems

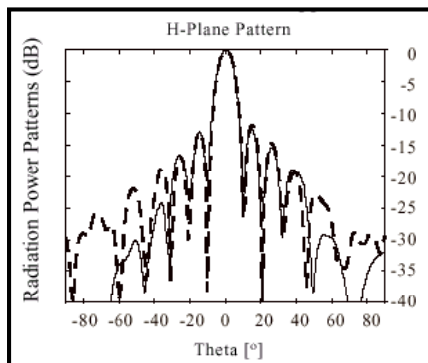
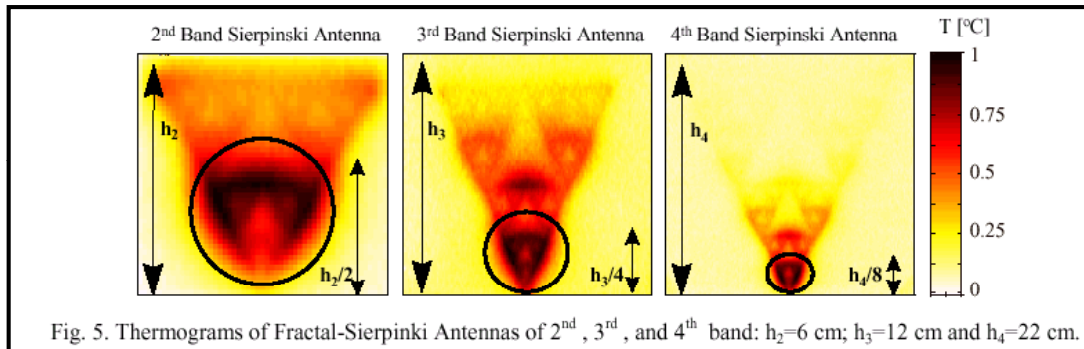


UPM antenna measurement ranges

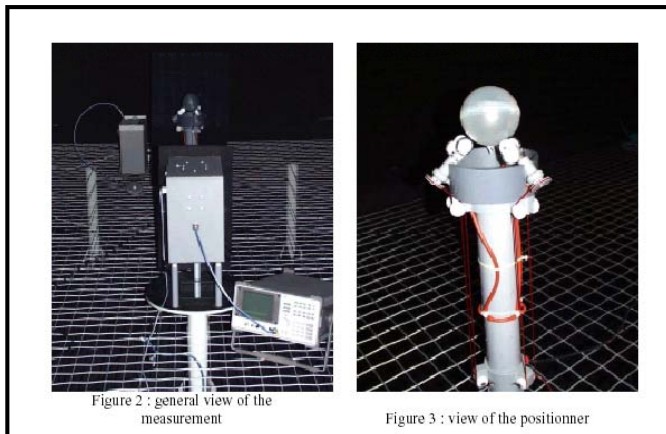
Arc System: Semi-Anechoic chamber



- **Measurements of Antennas on scaled ships** (1:50 and 1:100 models)
- Dimensions: 6.5 x 5.5 x 2.7 m
- Frequency band: 200 MHz – 3 GHz
- Positioning system: azimuth for ship and elevation for probe.



- Thermal intensity measurement in the planar system,
- Phase reconstruction,
- Radiation pattern extraction.

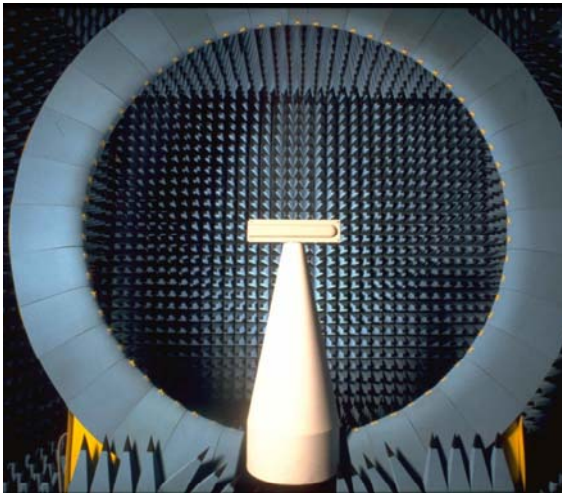


Sistema de EPFL-LEMA (Lausanne - Suiza)

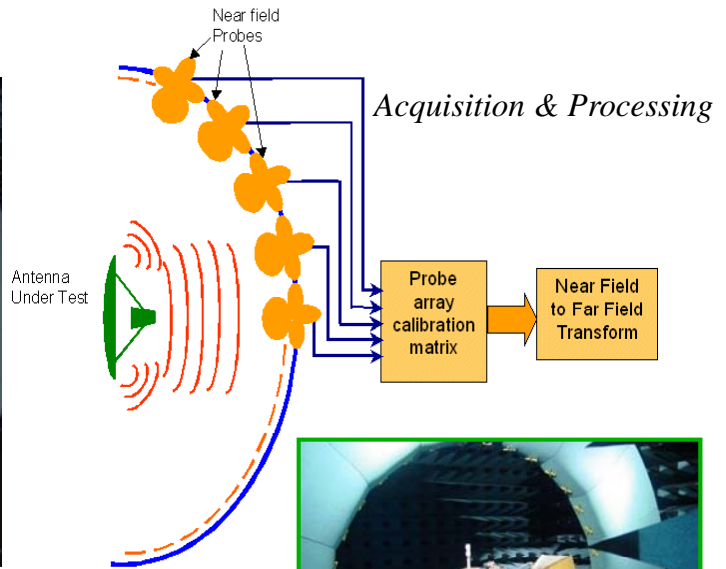
Sistema de Chalmers-Bluetest
(Göteborg – Suecia)



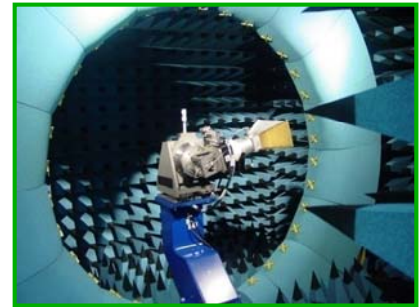
SATIMO Stargate System



Stargate system made of 64 probes



Probe Calibration



Acquisition, Processing and Representation Software



POLITÉCNICA



SSR

Software PROCENCA (GR-UPM)

The screenshot shows the 'ADQUISICIÓN DE DATOS' (Data Acquisition) window. It includes fields for Date (02/03/2007), Time (10:38:21), Operator (pca), Classification (<DEFAULT>), and File Name (M1). The description is 'TRANSMITARRAY LENTE 12 GHz'. The limits are set to 'C:\Documents and Settings\pablo\Escritorio\PROCENCA_v4.0 Esf polar\Esterico.LIM'. The probe type is 'Simple', polarization is 'Ambas (H/V)', and frequency is '12.000 GHz'. The mode is 'FREC. DISCRETAS' with a scan range from -179.00 to 179.00 degrees. The CPEP table shows parameters for Roll and Azim scans.

CPEP	EJE	ANG. I. (°)	ANG. F. (°)	INCRTO. (°)	V.POSIC.(%)
Salto	ROLL	0.00	175.00	5.00	50.00
Barido	AZIM	-179.00	179.00	1.00	50.00

Measurement definition



POLITÉCNICA



SSR

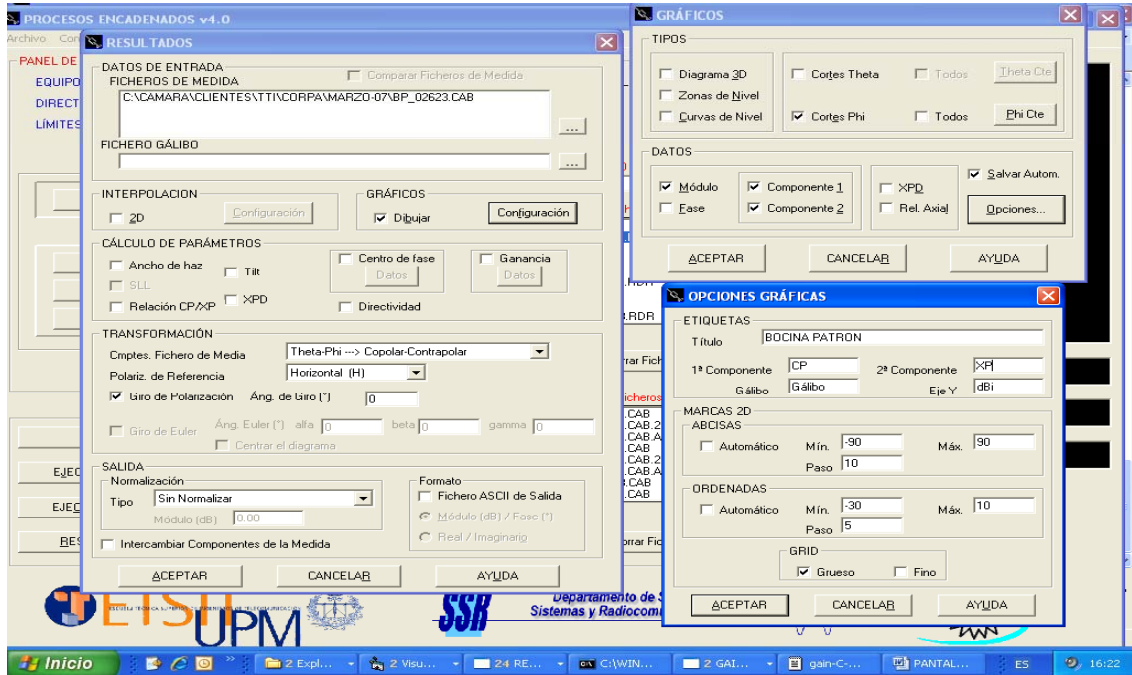
Software PROCENCA (GR-UPM)

The screenshot shows the 'Medidas' (Measurements) window with two graphs. The top graph, 'Barrido actual', shows a single scan curve at 2.623 GHz. The bottom graph, 'Comparativa de barridos', shows multiple scan curves for comparison. A status panel on the right indicates 'FINALIZADO EL PROCESO DE MEDIDA' (Measurement process finished) with a 'STOP' button. It also shows 'Tiempo ultimo barrido: 55 seg', 'Tiempo total: 09:16 min', and 'Conexión establecida' (Connection established).

Acquisition



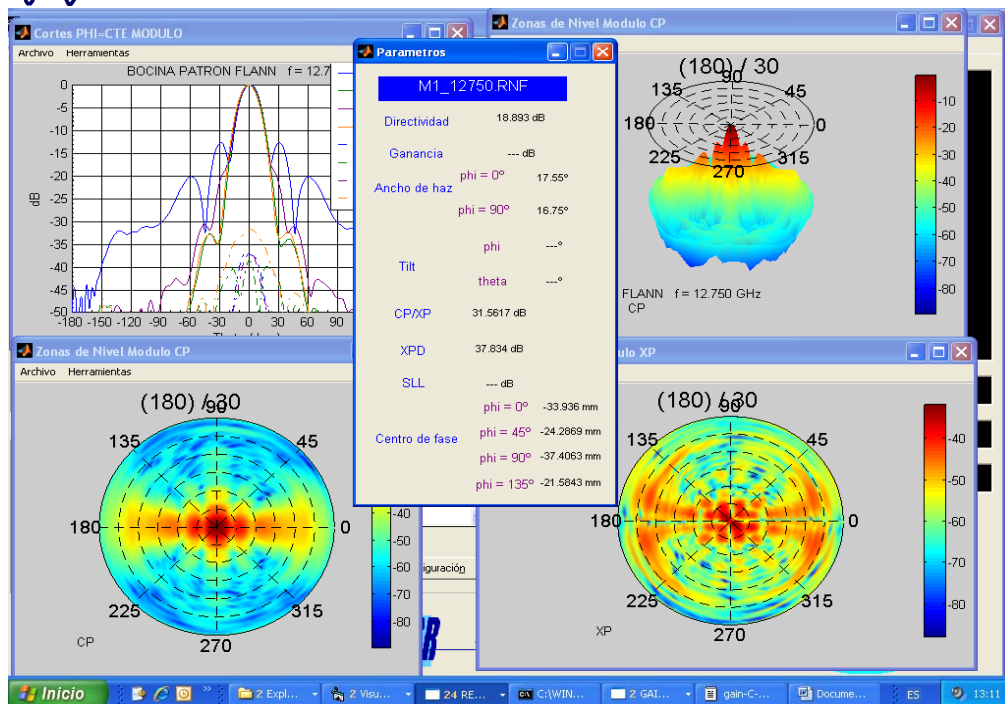
Software PROCENCA (GR-UPM)



Results definition



Software PROCENCA (GR-UPM)



Results



And now...

SSR

→ Visit to the UPM antenna test facilities...

